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# Rotational form of LINEAR MOMENTUM

Mass used to increase linear momentum

Mass used to apply torque and increase angular momentum





#### LINEAR MOMENTUM

LINEAR MOMENTUM is the Quantity of motion

Ability of the system to Produce the change in the dynamic state of another system - acceleration

## LINEAR MOMENTUM

## Product of MASS and VELOCITY

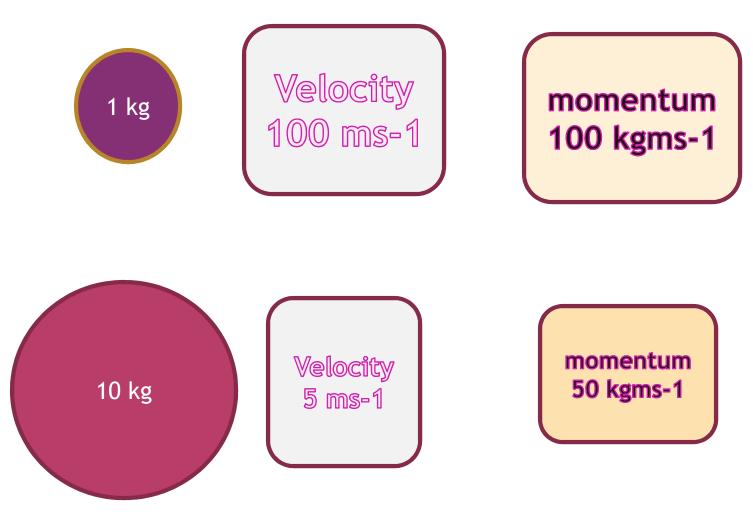
#### $\mathbf{p} = \mathbf{m} \mathbf{x} \mathbf{V}$

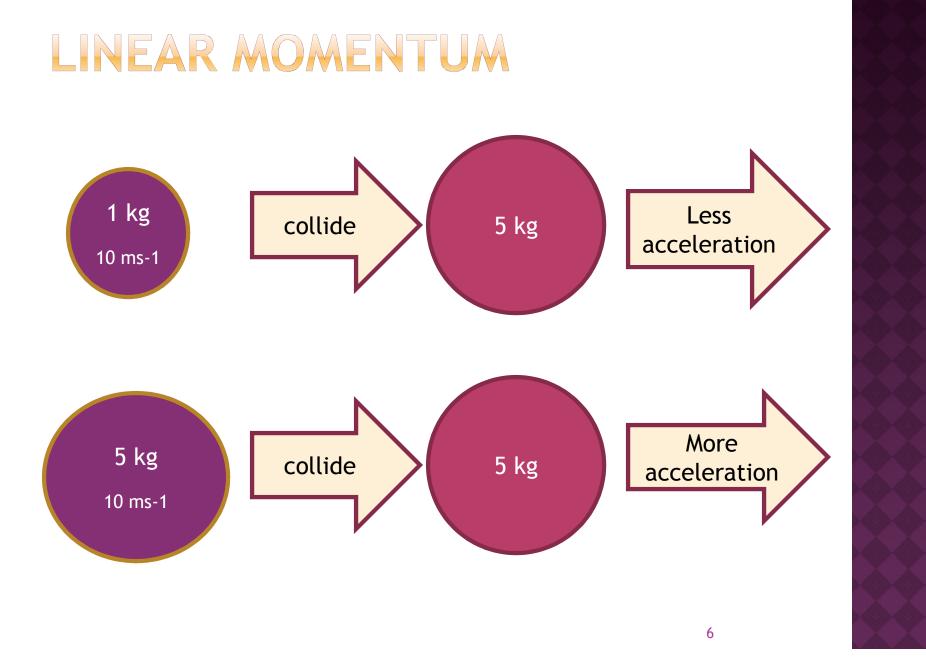






## LINEAR MOMENTUM





Quantity of rotational motion

Ability of the system to Produce the change in rotational motion angular acceleration



Whenever a torque acts There is a corresponding angular acceleration

There exists a change in ANGULAR MOMENTUM

Definition Vector product of position vector and momentum vector

 $\mathbf{J} = \mathbf{r} \mathbf{x} \mathbf{p}$ 

Vector in a direction perpendicular to both position vector and momentum vector

Ο

- $J = r \times p$ 
  - $= r p sin(\alpha)$
  - = r p sin(180 β)
  - = r p sinß
  - = p x ON
  - = moment of P about O

Thus J is moment of momentum



Where  $\omega$  is the angular velocity and I is the moment of inertia

Statement of the Law In a system having no external torque the angular momentum of the system remains a constant

Torque is the one which changes the angular momentum. Hence if torque is absent no change in J J remains constant

Illustrations 1

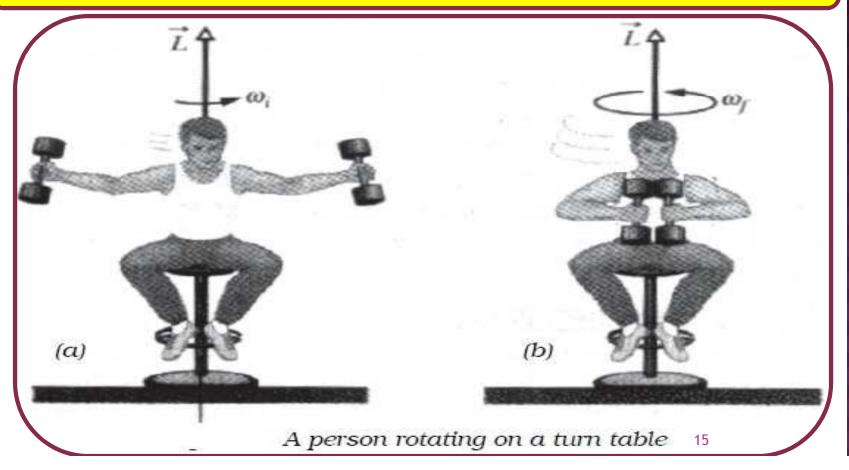
Since J remains constant Any change in moment of inertia (I) produce a corresponding change in ω

## Illustrations 1

Consider a person holding a pair of dumbbells in his outstretched hands sitting on a turntable. Let the turntable rotate with a given angular speed. If the person pulls his hands inward the turntable begins to rotate with an increased speed. As his moment of inertia (I) decreases his angular speed increases due to conservation of angular momentum

## Illustrations 1

#### Decrease in moment of inertia (I) increase in $\boldsymbol{\omega}$

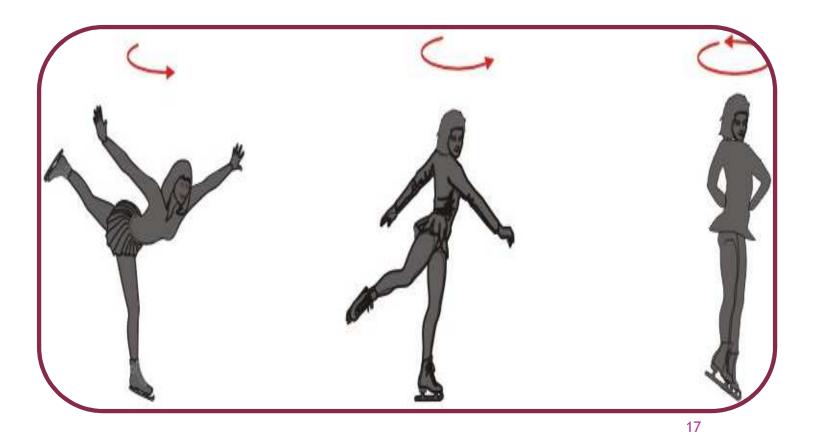


## Illustrations 2

Consider a ballet dancer performing spins on her toes with arms out stretched. When she pulls her arms inward she spins fast giving an amazing sight. Again this is due to conservation of angular momentum.

## Illustrations 2

#### Decrease in moment of inertia (I) increase in $\boldsymbol{\omega}$



**1.Angular momentum is a \_\_\_\_\_quantity** 

a. Scalar b. Vector c. Tensor

## 2.Angular momentum is defined by the equation

a. mXv b. rXp c. pXr

#### **3.Angular momentum is the quantity of**

- a. Linear Motion
- b. Rotational Motion
- c. Both

#### 4. Choose the correct statement

- a. Angular momentum is in the direction of velocity
- b. Linear momentum is in the direction of velocity
- c. Both are not in the direction of velocity

5.Choose the correct statement with respect to linear momentum and angular momentum

- a. Both are vectors
- b. Both are scalars
- c. Linear momentum is vector and Angular momentum is scalar

6.According to Law of conservation of angular momentum, the angular momentum of the system remain conserved if

- a. Internal torque is zero
- b. External torque is zero
- c. Both internal and external torques is zero

7.Which mathematical statement describe the law of conservation of angular momentum

a. dP/dt=0
b. dJ/dt=0
c. None of the above

## 8.According to Law of conservation of angular momentum

a. Iw=constantb. Iw=0c. None of the above



9.When a person withdraws his hands inwards, his

a. Moment of inertia increasesb. Moment of inertia decreasesc. Moment of inertia remains same



10.When a ballet dancer stretches her hands, her

a. Moment of inertia increasesb. Moment of inertia decreasesc. Moment of inertia remains same